$V$-SUPER AND $E$-SUPER VERTEX-MAGIC TOTAL LABELING OF GRAPHS<br>G. Kumar<br>Department of Mathematics, Alagappa University Evening College, Ramnad, Tamil Nadu, India


#### Abstract

Let $G$ be a graph of order $p$ and size $q$. A vertex-magic total labeling is an assignment of the integers $1,2, \ldots, p+q$ to the vertices and the edges of $G$, so that at each vertex, the vertex label and the labels on the edges incident at that vertex, add to a fixed constant, called the magic constant of $G$. Such a labeling is $V$-super vertex-magic total if $f(V(G)=\{1,2, \ldots, p\}$, and is an E-super vertex-magic total if $f(E(G)=\{1,2, \ldots, q\}$. A graph that admits a $V$-super vertex-magic total labeling is called V-super vertex-magic total. Similarly, a graph that admits an E-super vertex-magic total labeling is called E-super vertex-magic total. In this paper, we provide some properties of E-super vertex-magic total labeling of graphs and we prove V-super and E-super vertex-magic total labeling of the product of cycles $C_{m} \times C_{n}$, where $m, n \geq 3$ and $m, n$ odd.


KEYWORDS: Vertex Magic Total Labeling, V-Super Vertex Magic Total Labeling, E- Super Vertex Magic Total Labeling

## Article History

Received: 15 Jun 2018 | Revised: 23 Jun 2018 |Accepted: 02 Jul 2018

